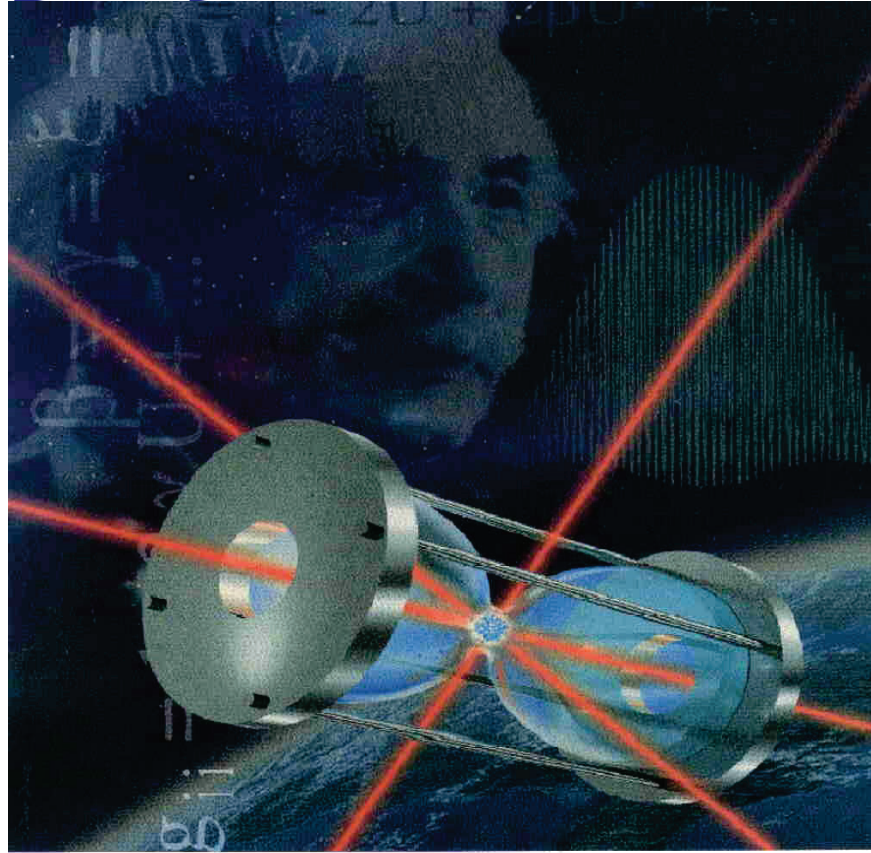


# Horloges atomiques et physique fondamentale



C. Salomon

GRAM, Nice

November 29th, 2010



Ecole Normale Supérieure, Paris

# Participants

M. Abgrall, L. Duchayne, X. Baillard, D. Magalhaes, C. Mandache, R. Le Targat, P. G. Westergaard, A. Lecallier, F. Chapelet, Y. Lecoq, M. Petersen, J. Millo, S. Dawkins, R. Chicireanu, D. Holleville, S. Bize, P. Lemonde, P. Laurent, M. Lours, G. Santarelli, P. Rosenbusch, D. Rovera, P. Wolf, J. Guéna, A. Clairon



M. Tobar, J. Hartnett, A. Luiten,



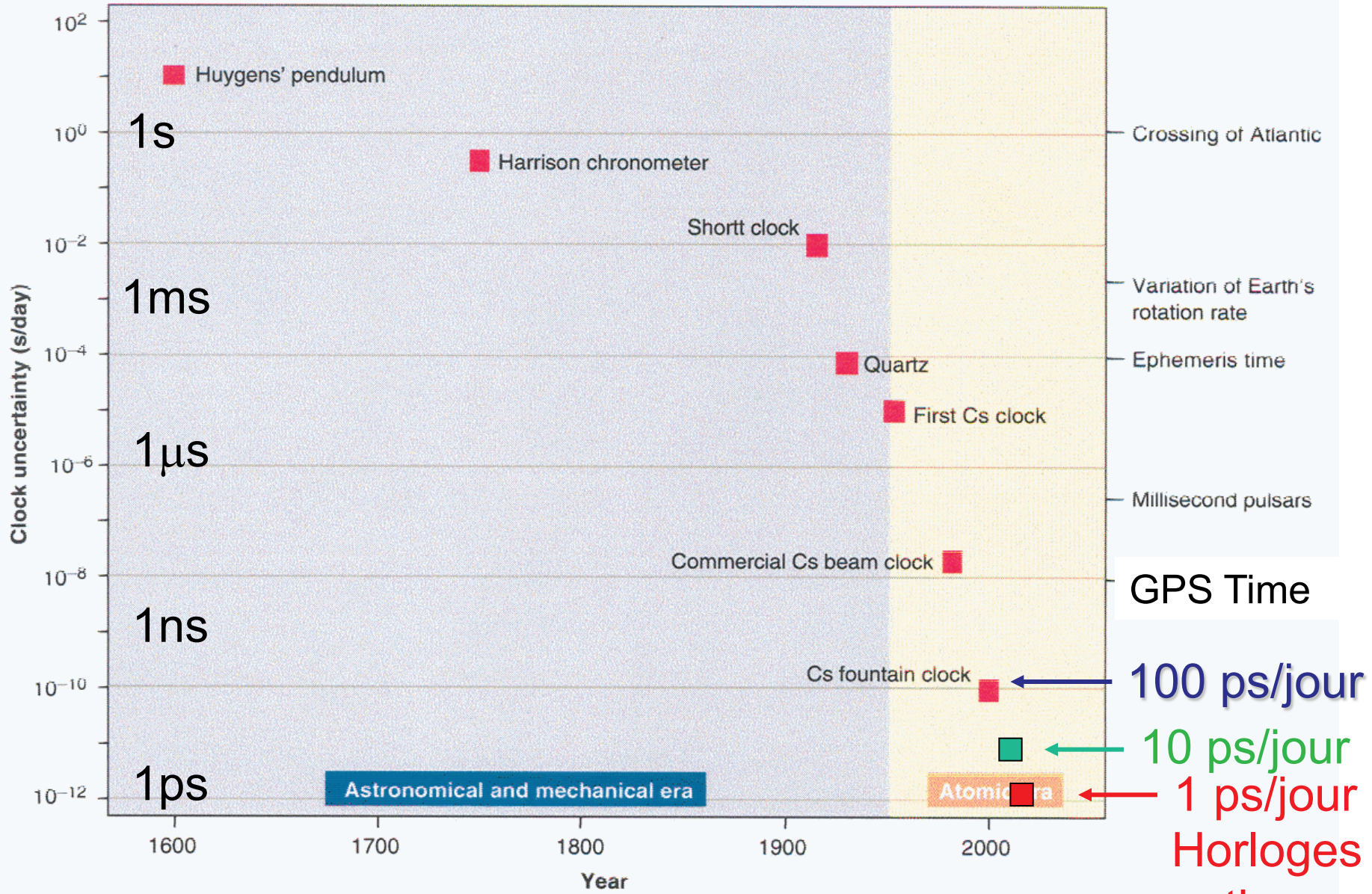
F. Riehle, E. Peik, D. Piester, A. Bauch  
O. Montenbruck, G. Beyerle,  
Y. Prochazka, U. Schreiber,  
G. Tino,  
P. Thomann, S. Schiller,  
L. Cacciapuoti, R. Nasca, S. Feltham, R. Much



S. Léon, D. Massonnet and 15 engineers at CNES  
L. Blanchet, C. Bordé  
C. Cohen-Tannoudji, S. Reynaud, C. Salomon



# Précision du temps



100 ps/jour

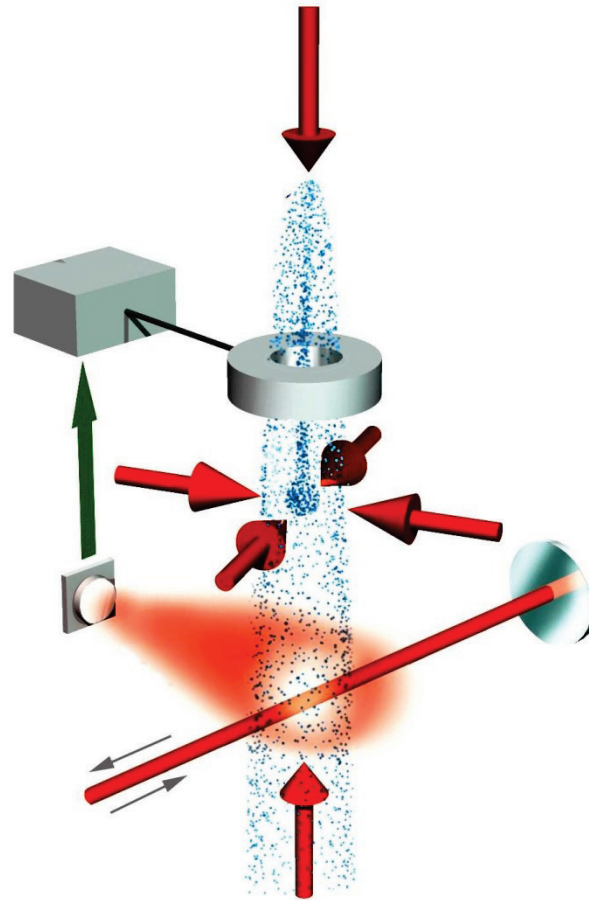
10 ps/jour

1 ps/jour  
Horloges optiques

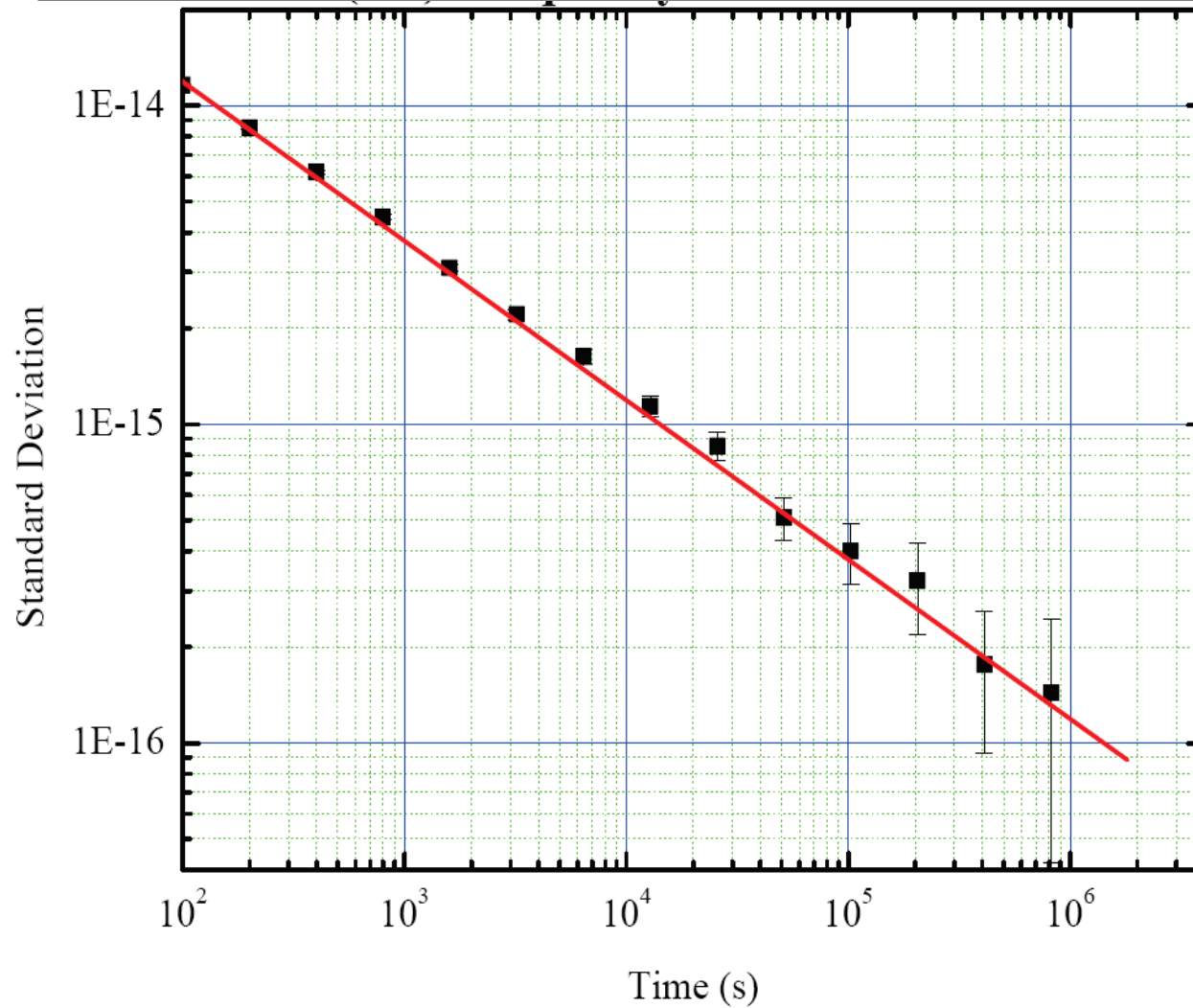
# Précision du temps

**Une seconde d'erreur tout les 3 milliards d'années !  
soit 5 secondes sur l'âge de l'univers**

Fontaine atomique

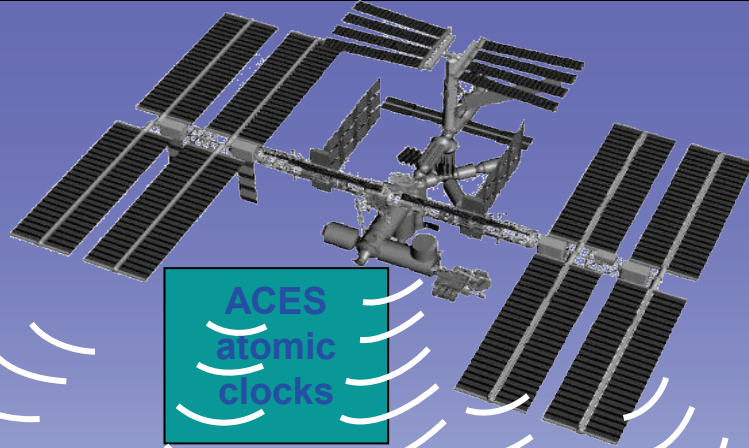


# Comparison between two Fountains FOM and FO2 (Paris Observatory)

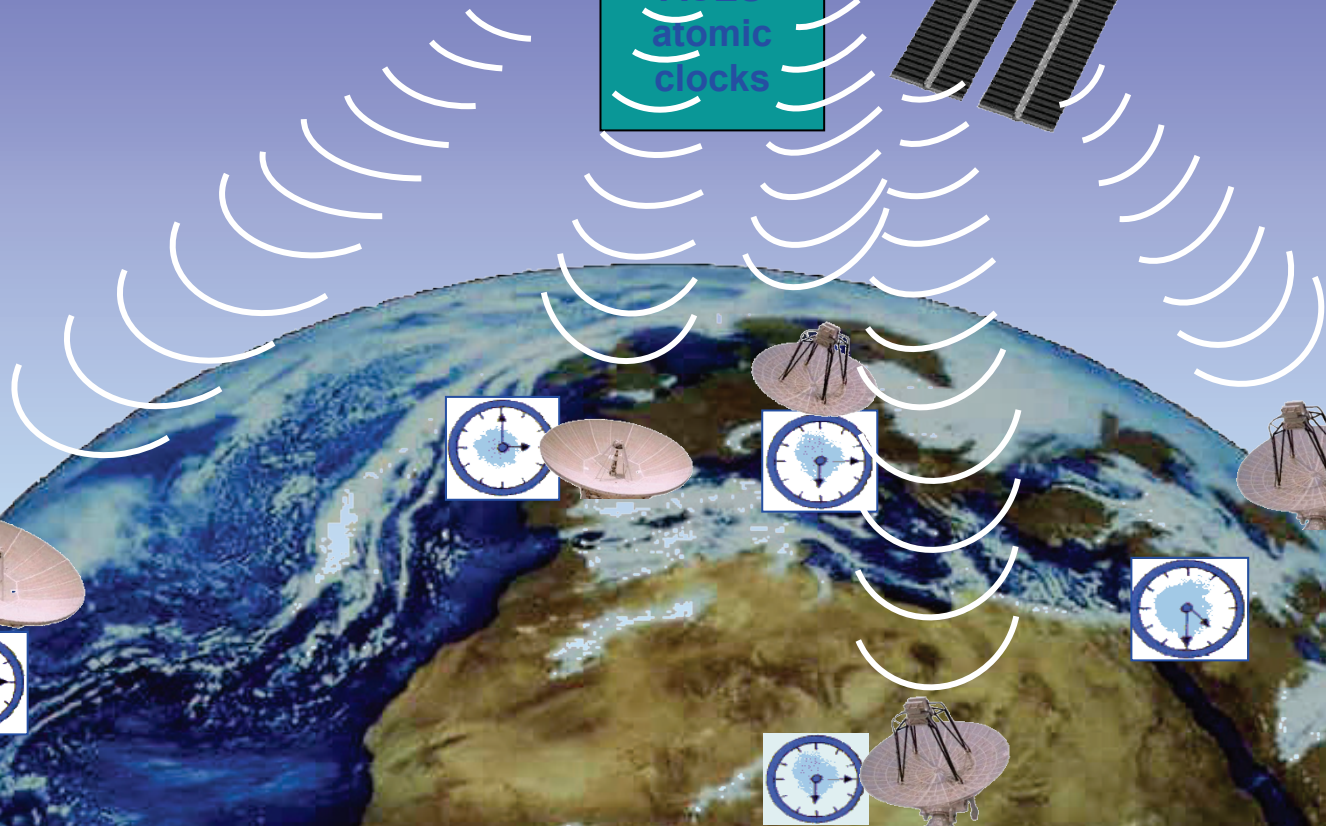


S. Bize  
et al.  
EFTF'08  
J. Phys. B 2005  
SYRTE

Frequency stability below  $10^{-16}$  after 5 to 10 days of averaging  
Agreement between the Cesium frequencies:  $4 \times 10^{-16}$



ACES  
atomic  
clocks



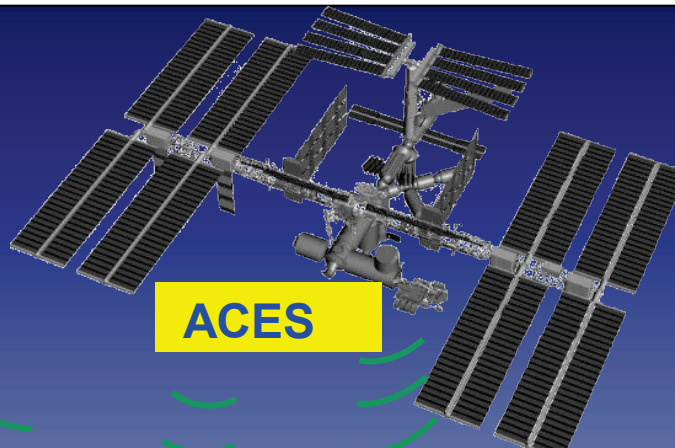
**Une horloge à atomes froids en microgravité**  
**Tests de la relativité générale**  
**Accès mondial**

# ACES sur la station spatiale internationale



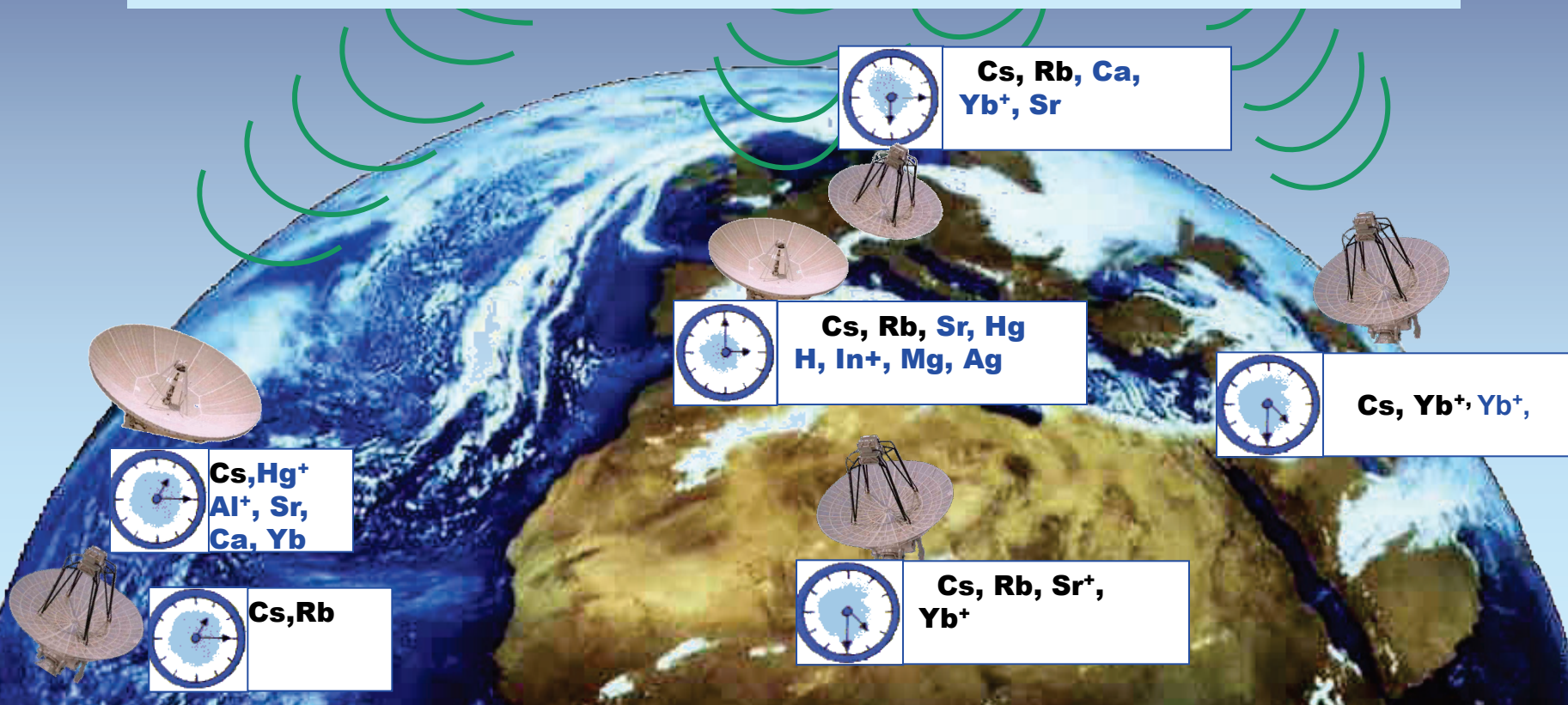
**ACES**

**date de lancement prévue : fin 2013**  
**durée de la mission : 18 mois / 3 ans**



**ACES**

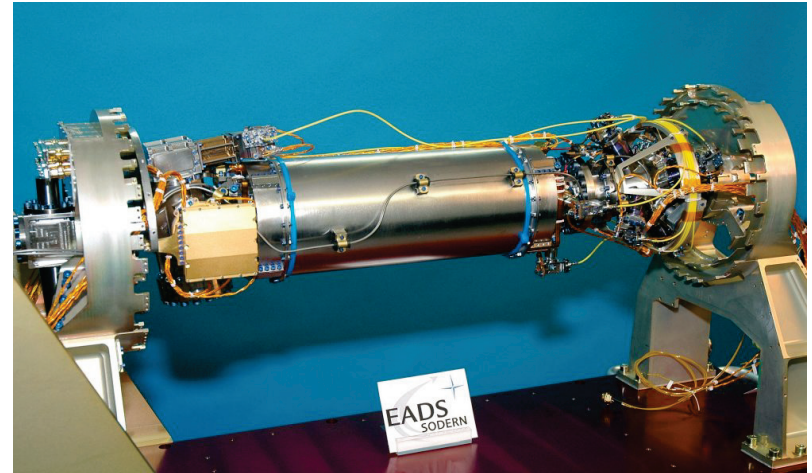
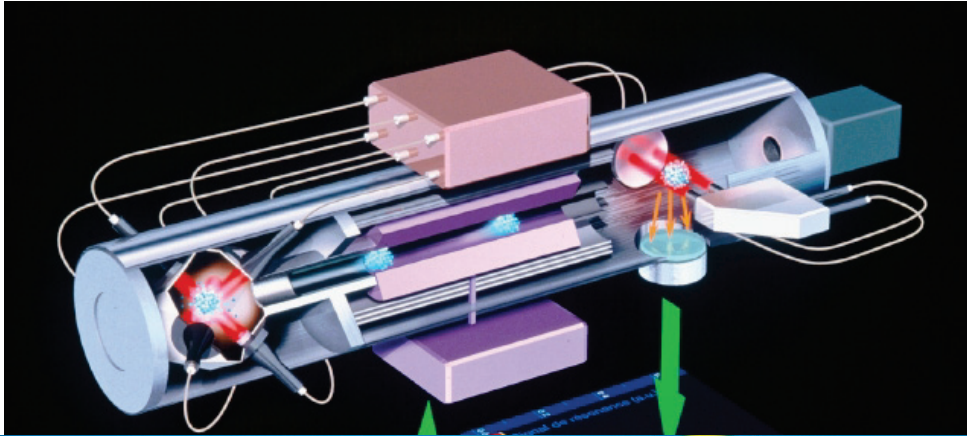
Global search for variations of fundamental constants by long distance clock comparisons at  $10^{-17}$  /year



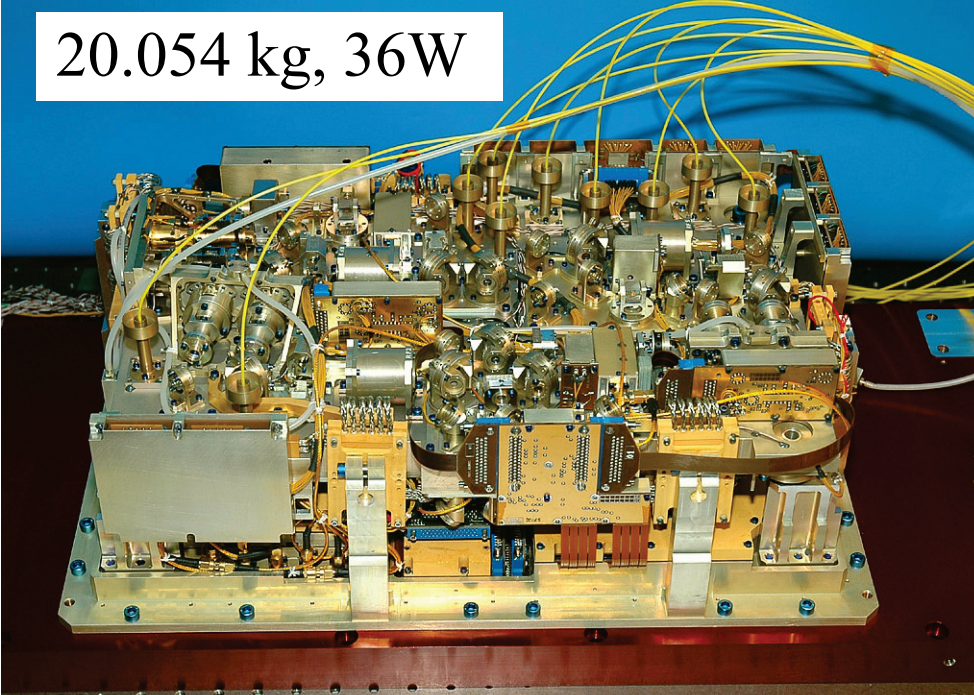
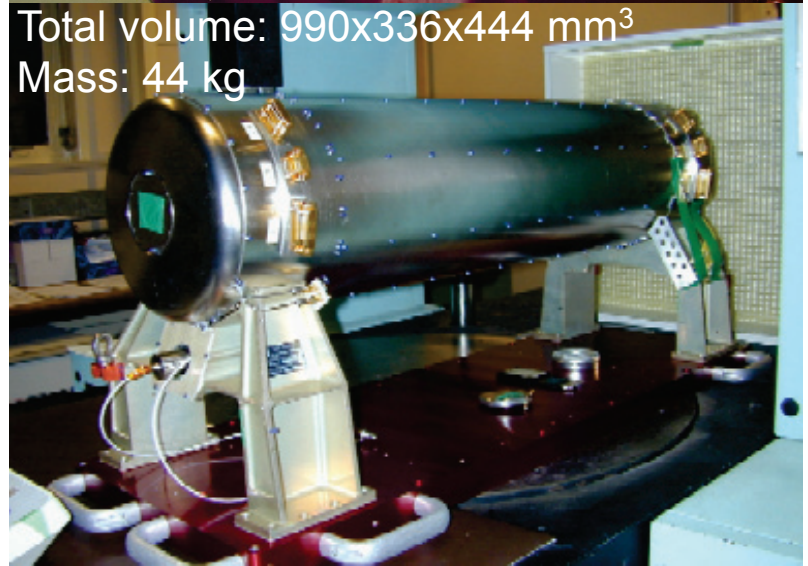




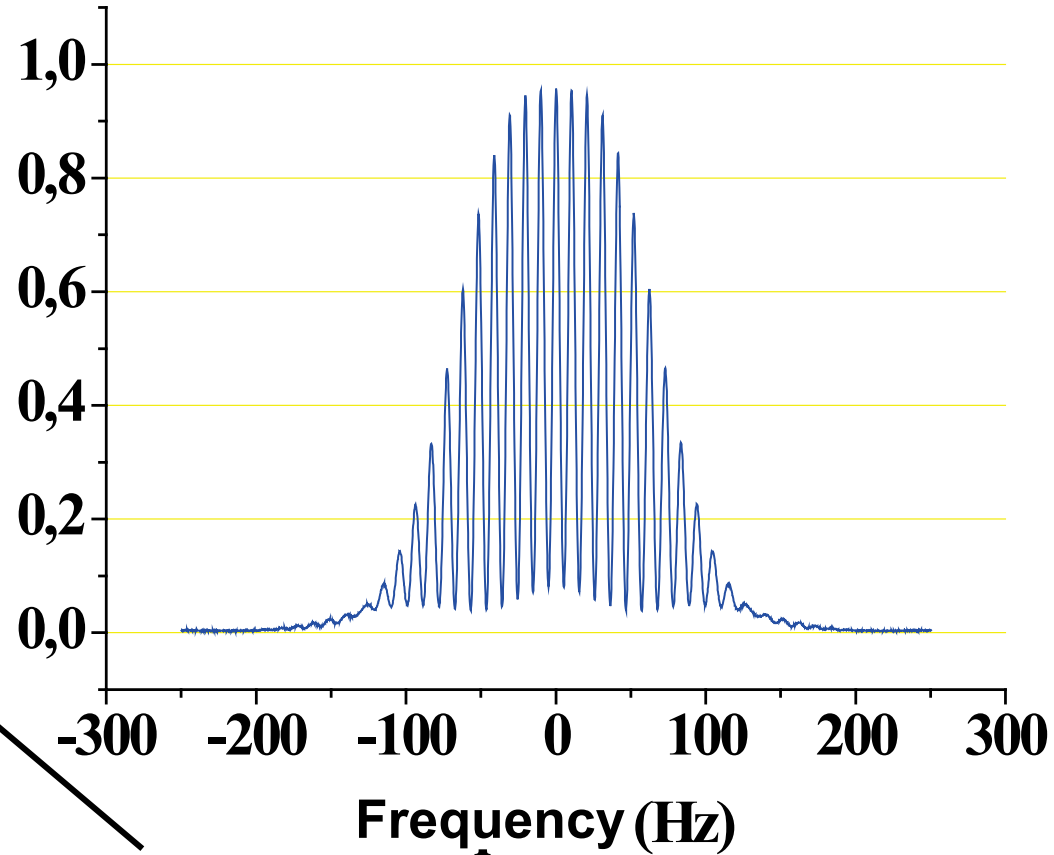
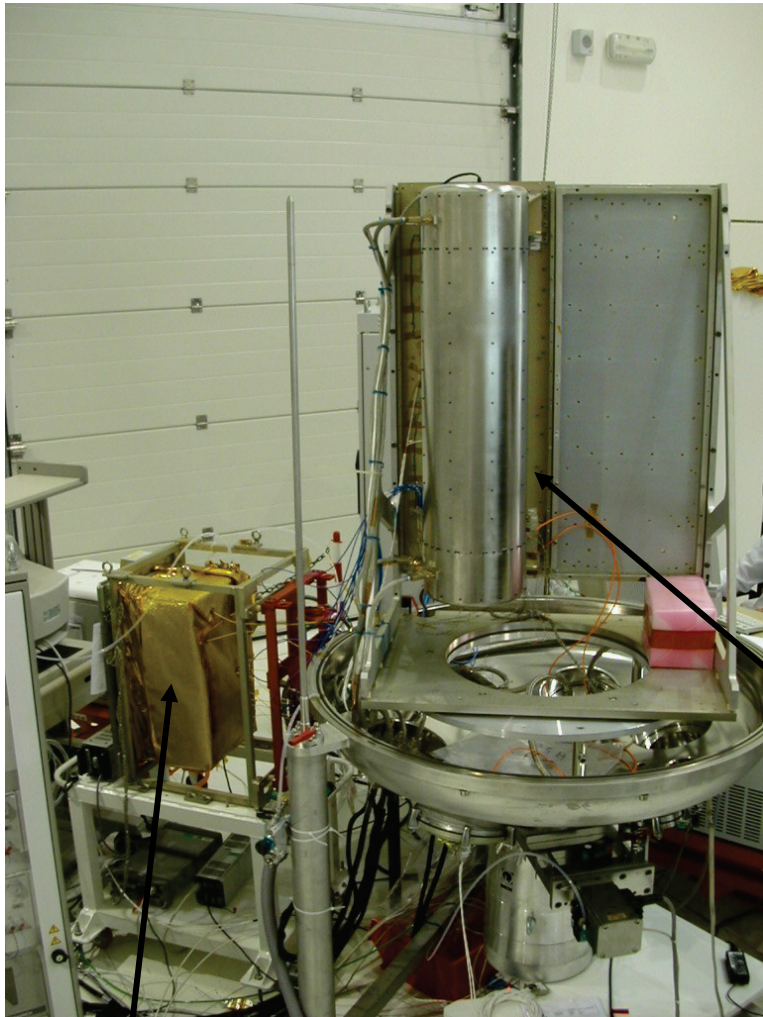
# Cold Atom Clock in $\mu$ -gravity : PHARAO/ACES



20.054 kg, 36W



# PHARAO: modèle d'ingénierie



Cesium tube

Laser source

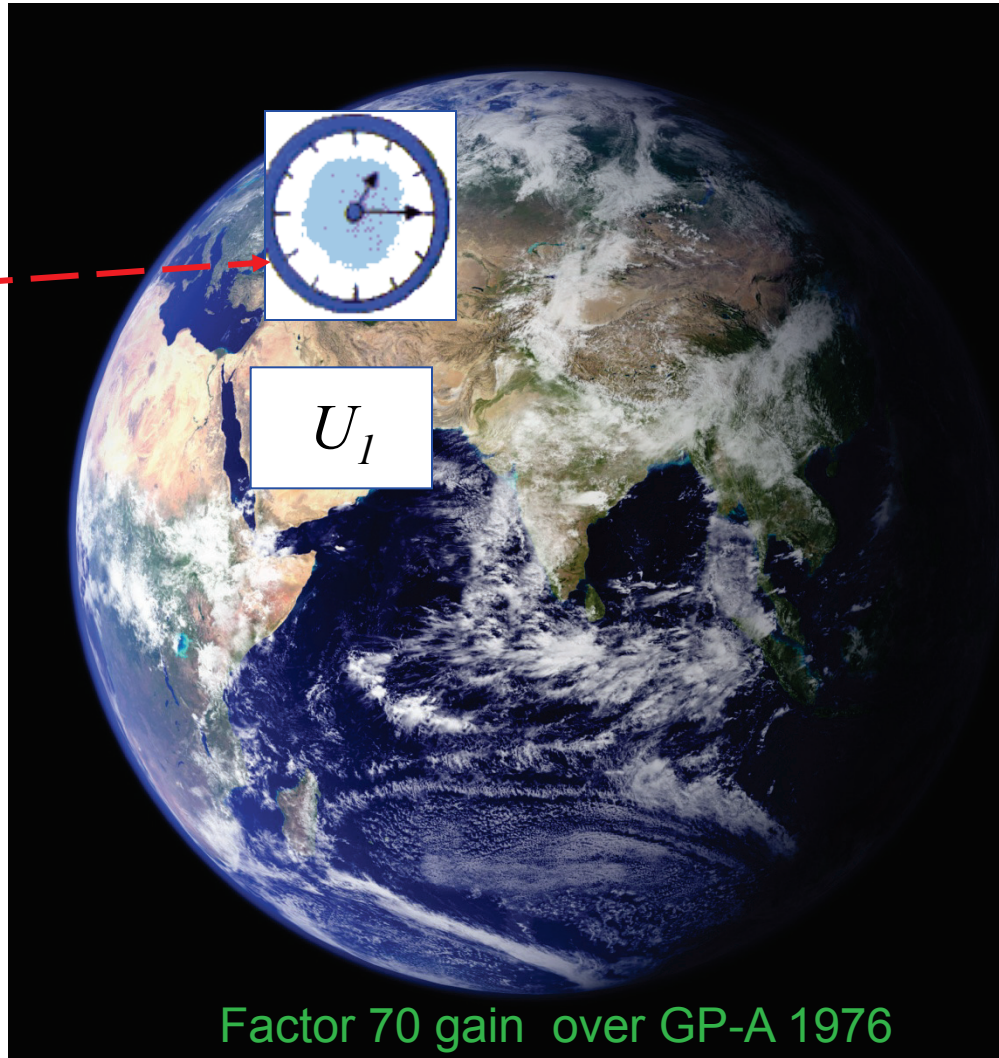
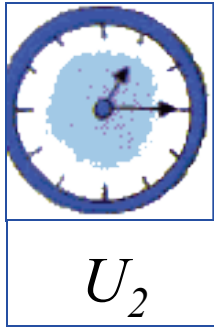
Tests de performances terminés  
modèle de vol en construction



CENTRE NATIONAL D'ÉTUDES SPATIALES



# A Prediction of General Relativity: the gravitational redshift



$$\frac{\nu_2}{\nu_1} = \left( 1 + \frac{U_2 - U_1}{c^2} \right)$$

Redshift :  $4.59 \cdot 10^{-11}$   
With  $10^{-16}$  clocks  
ACES:  $3 \cdot 10^{-6}$

Factor 70 gain over GP-A 1976

# Does an atom interferometer measure the redshift at Compton frequency ?

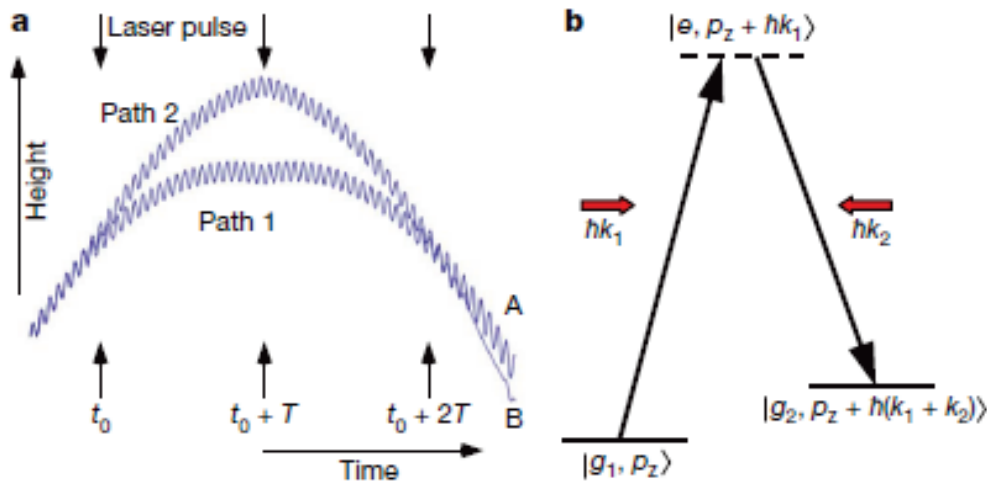
nature

Vol 463|18 February 2010|doi:10.1038/nature08776

## LETTERS

### A precision measurement of the gravitational redshift by the interference of matter waves

Holger Müller<sup>1,2</sup>, Achim Peters<sup>3</sup> & Steven Chu<sup>1,2,4</sup>



Idea: describe the interferometer as beat note between two clocks at Compton frequency:

$$\omega_c = mc^2 / \hbar$$

$$\omega_c = 3.2 \cdot 10^{25} \text{ Hz}$$

# Phase shift calculation in General Relativity

See, C. Bordé, 2008, and P. Storey and C. Cohen-Tannoudji, 1994

$$\Delta S = \oint L(\vec{x}, \vec{\dot{x}}) dt = \int_1 L(\vec{x}, \vec{\dot{x}}) dt - \int_2 L(\vec{x}, \vec{\dot{x}}) dt \quad \Longrightarrow \quad \Delta \varphi_s = \frac{\Delta S}{\hbar}$$

$$\Delta \varphi = \Delta \varphi_s + \Delta \varphi_L$$

Lagrangian in GR:  $L_{GR}(z, \dot{z}) = -mc^2 \frac{d\tau}{dt} = -mc^2 + \frac{GMm}{r_{Earth}} - mgz + \frac{1}{2}m\dot{z}^2 + O(1/c^2)$

One finds:  $\Delta \varphi_s = \Delta \varphi_{red\ shift} + \Delta \varphi_{time\ dilation} = 0$

The 2 terms that depend on m cancel out !

The difference in the action integrals that involve the Compton frequency is zero  
One cannot disentangle the sole contribution of the red shift.

One is left with:  $\Delta \varphi = \Delta \varphi_L = kgT^2$

This instrument is a gravimeter !

Comparing g measured by atomic interferometry with the falling corner cube provides an interesting test of the universality of free fall at  $7 \cdot 10^{-9}$

# Beyond General Relativity

Atom gravimeters and gravitational redshift

Peter Wolf,<sup>1</sup> Luc Blanchet,<sup>2</sup> Christian J. Bordé,<sup>1</sup> Serge Reynaud,<sup>3</sup> Christophe Salomon,<sup>4</sup> and Claude Cohen-Tannoudji<sup>4</sup>

Comment in Nature 467,E1, September 2010,  
and arXiv to be posted this week.

Modified Lagrangian frameworks: see C. Will book

Some versions of string theories,

TH $\epsilon\mu$

Lorentz-violating standard model extension (Kostelecky et al.)

The same conclusion  $\Delta\varphi_s = 0$  is true when using the same Lagrangian for calculating the phase shift of matter waves and the atomic trajectories.

# When does an atom interferometer provide a test of redshift ?

Only when multiple Lagrangians are used, does one get a non-zero effect. This means using a different Lagrangian for the atomic phase:

$$L_a(z, \dot{z}) = -mc^2 + \frac{GMm}{r_{Earth}} - (1 + \beta)mgz + \frac{1}{2}m\dot{z}^2$$

and for the atomic trajectories:

$$L_b(z, \dot{z}) = -mc^2 + \frac{GMm}{r_{Earth}} - mgz + \frac{1}{2}m\dot{z}^2$$

But these theories violate:

- Feynman's formulation of quantum mechanics, Schrödinger equation
- The principle of least action,
- Energy conservation
- Schiff's conjecture !

The theory of the interferometer in this alternative to QM remains to be done !

Remark: if one uses the same term  $(1 + \beta)mgz$  in both Lagrangians, one always finds:  $\Delta\varphi_s = 0$



# Transfert de temps par ACES

**Ultra-stable frequency comparisons on a worldwide basis :**

**Ground Clock comparisons @  $10^{-17}$  over one week**

**Contribution to TAI**

**Gain: x 20 wrt current GPS**

**Common view**



Error < 0.3ps over 300 s  
Can be checked by fiber-link

**non common view**



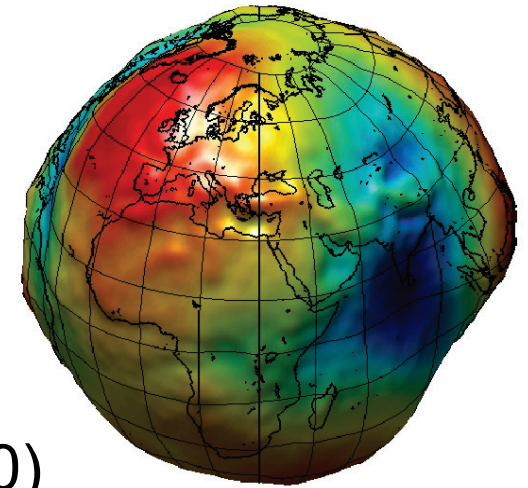
Error < 3ps over 3000 s





# Géodésie relativiste

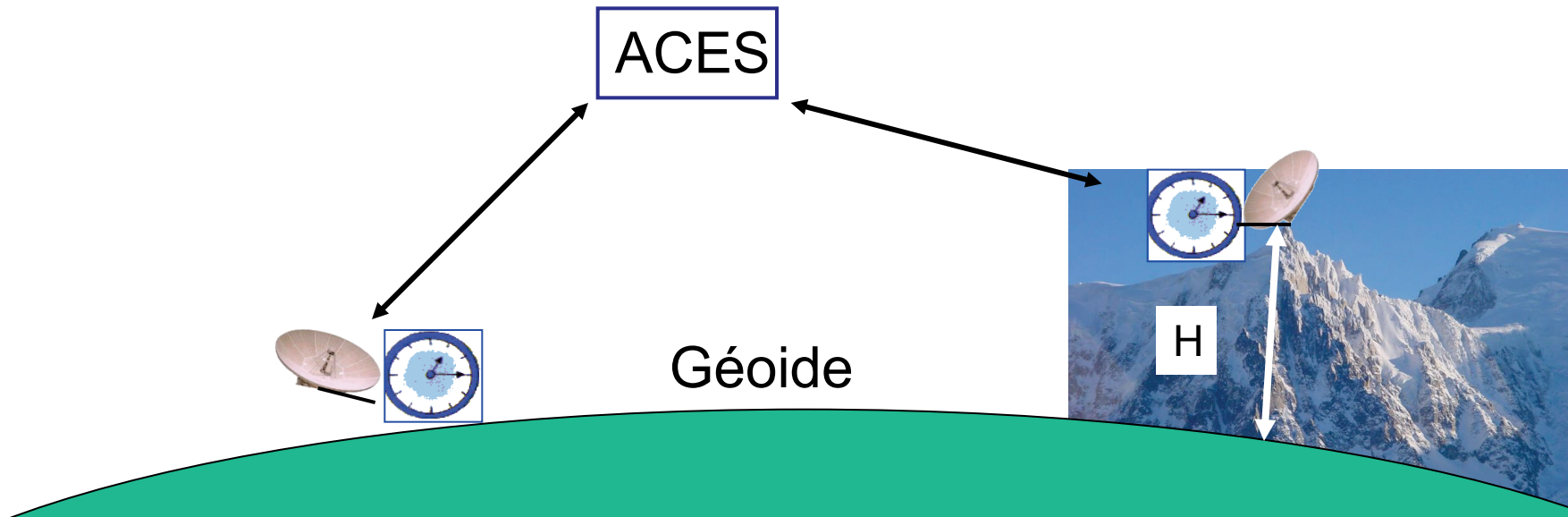
La fréquence de l'horloge dépend du potentiel gravitationnel,  $10^{-16}$  par mètre



Horloges optiques: exactitude de  $1 \cdot 10^{-17}$  soit l'équivalent de 10 cm de hauteur (NIST'10)

Avec ACES:

Possibilité de mesurer la différence de potentiel entre les sites des deux horloges distantes à  $10^{-17}$  soit 10 cm



# Conclusions et perspectives

**Les horloges permettent d'effectuer des tests des lois fondamentales de la physique**

Décalage gravitationnel

Recherche d'une dérive des constantes fondamentales

Quelles limites pour les horloges atomiques ?

Les fluctuations du potentiel gravitationnel vont limiter la précision du temps à la surface de la terre à  $10^{-18}$  --  $10^{-19}$  cad 1cm à 1mm.

Vers une référence de temps spatiale